

Using LasDamas: What more can we learn from the galaxy distribution?

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Berkeley Cosmology Seminar

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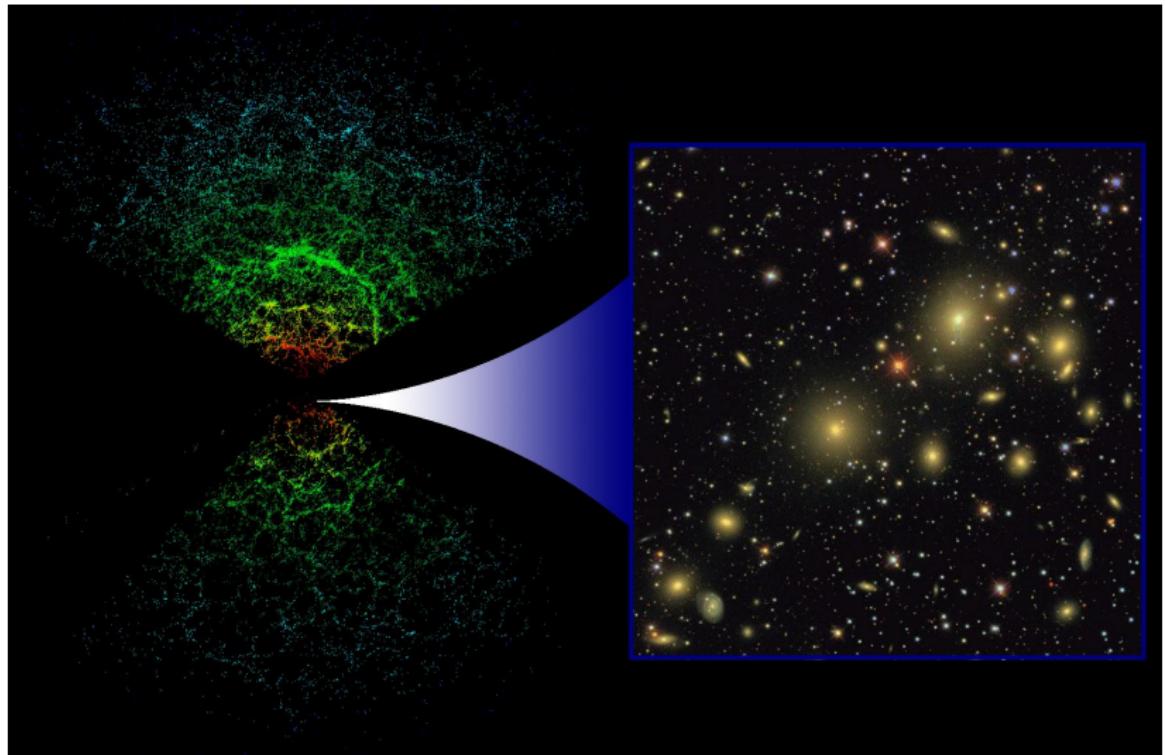
Sloan Digital Sky Survey

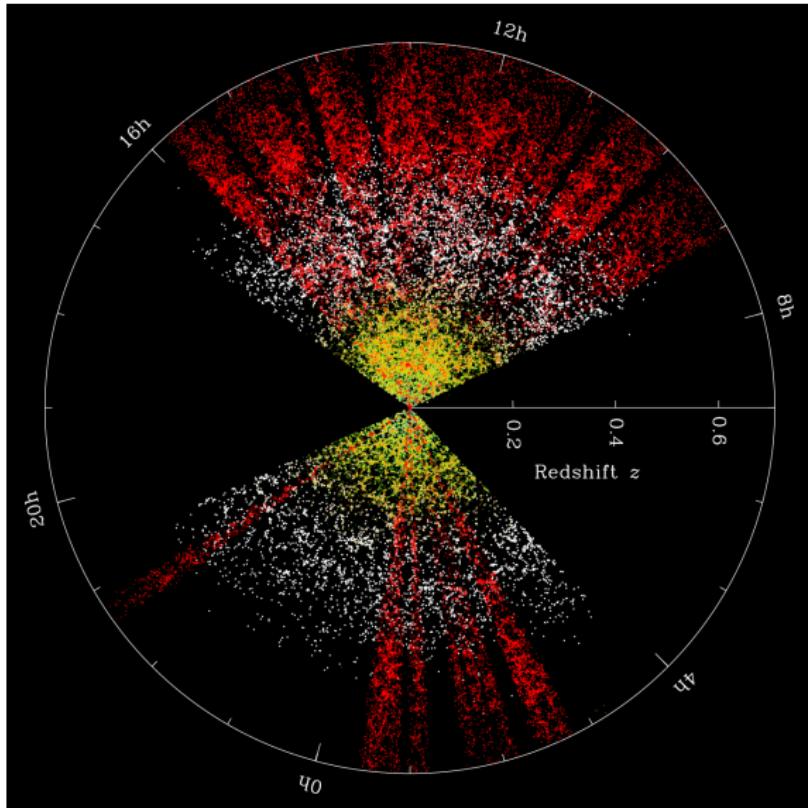
APO: Sloan Telescope



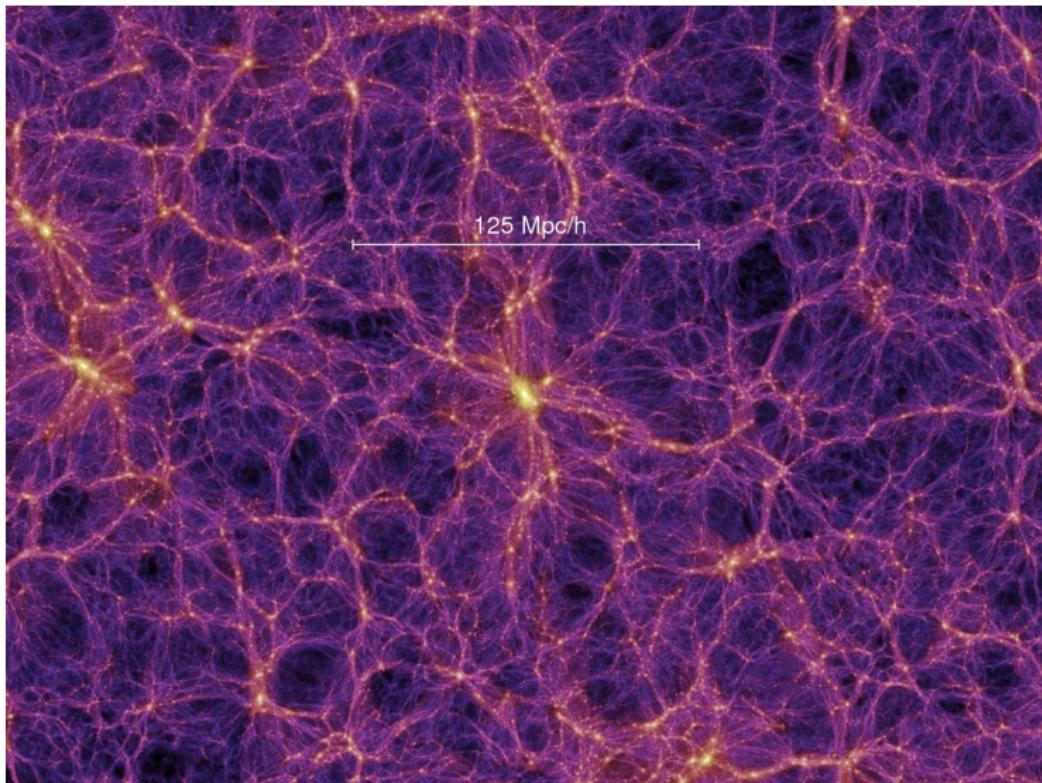
- 1.6 Million Spectra
- 8423 sq deg
- 929,555 DR7 galaxy spectra
- over 105,000 DR7 LRGs ($z < 0.47$)
- BOSS: Over 1 million luminous galaxies ($z < 0.7$)

Spectroscopic galaxy distribution





SDSS-II + BOSS Galaxies (image: Blanton)



Millennium Simulation: Springel, et al. 2005

Correlation Functions

- $\xi(r)$: connected spatial two point correlation function

$$\delta P = n^2 \delta V_1 \delta V_2 [1 + \xi(r_{12})]$$

- Defined by density field:

$$\begin{aligned}\delta(\vec{x}) &= \frac{\rho(\vec{x})}{\bar{\rho}} - 1 \\ \xi(r_{12}) &= \langle \delta(\vec{x}_1) \delta(\vec{x}_2) \rangle \\ \zeta(r_{12}, r_{23}, r_{31}) &= \langle \delta(\vec{x}_1) \delta(\vec{x}_2) \delta(\vec{x}_3) \rangle\end{aligned}$$

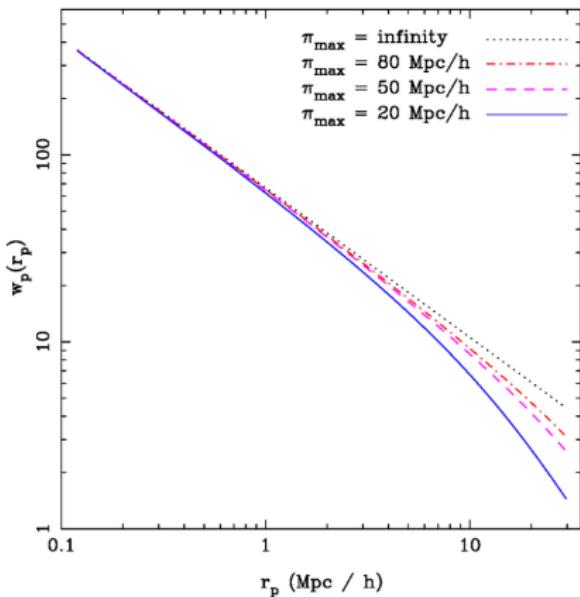
- $\xi(r)$ close to a power law for galaxies
- infinite series need to describe arbitrary point distribution (2PCF, 3PCF, etc)
- Gaussian distribution fully described by 2PCF

Two Point Correlation Function

- 3D clustering statistic
- redshift distortions
- with distortions: **redshift space**
- without distortions: **real space**

Projected 2PCF

$$w_p(r_p) = 2 \int_0^{\pi_{\max}} \xi(r_p, \pi) d\pi$$

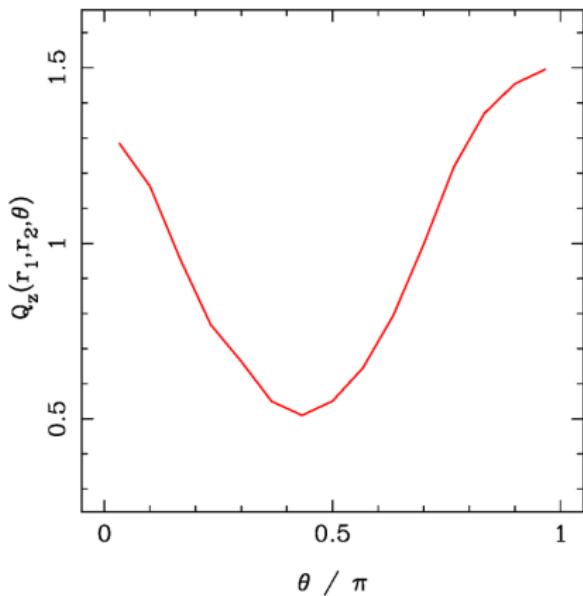
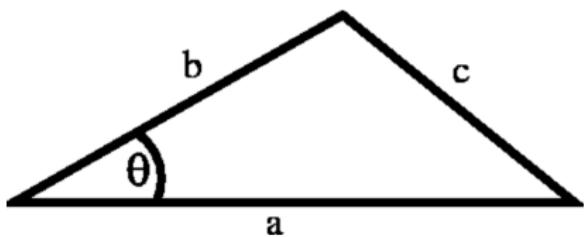


Three Point Correlation Function

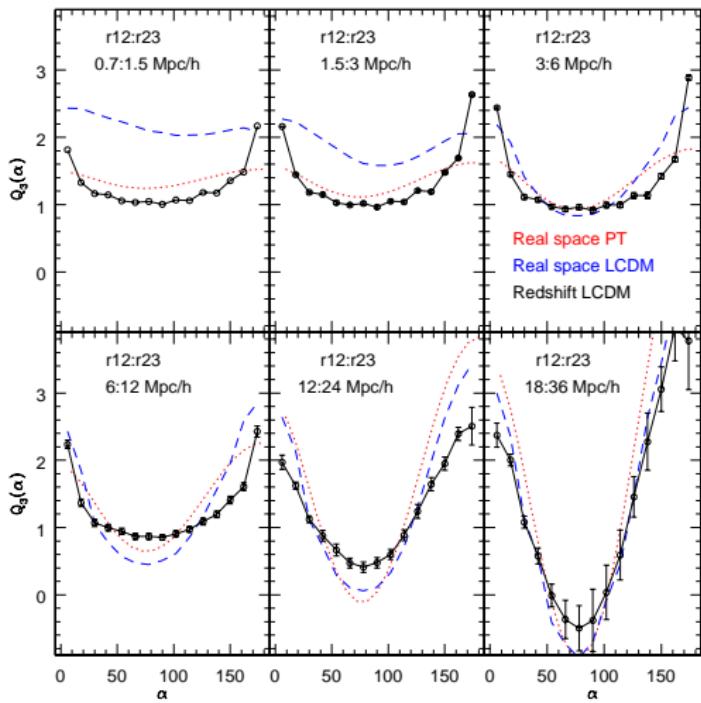
$$r_1:r_2 = 9:18 \text{ Mpc/h}$$

Q: Reduced 3PCF

$$Q(r_a, r_b, \theta) = \frac{\zeta(r_a, r_b, r_c)}{\xi_a \xi_b + \xi_b \xi_c + \xi_c \xi_a}$$



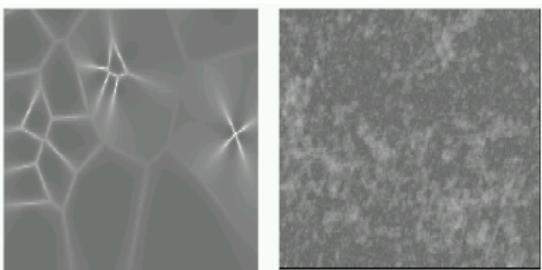
Three Point Correlation Function



Why bother with 3PCF?

Higher order clustering is important!

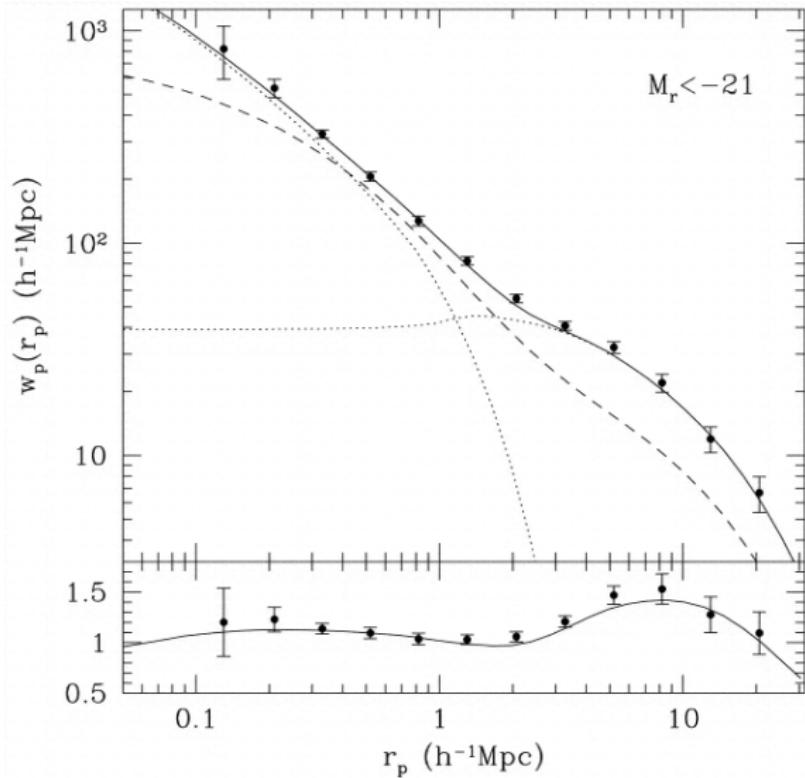
- more information than 2PCF analyses
- encoded shape information
- break degeneracies in models
 - halo model parameters
 - linear bias and σ_8
- data samples are large and growing



- phase information randomized for image on right
- same 2PCF but very different distributions

Some clustering results

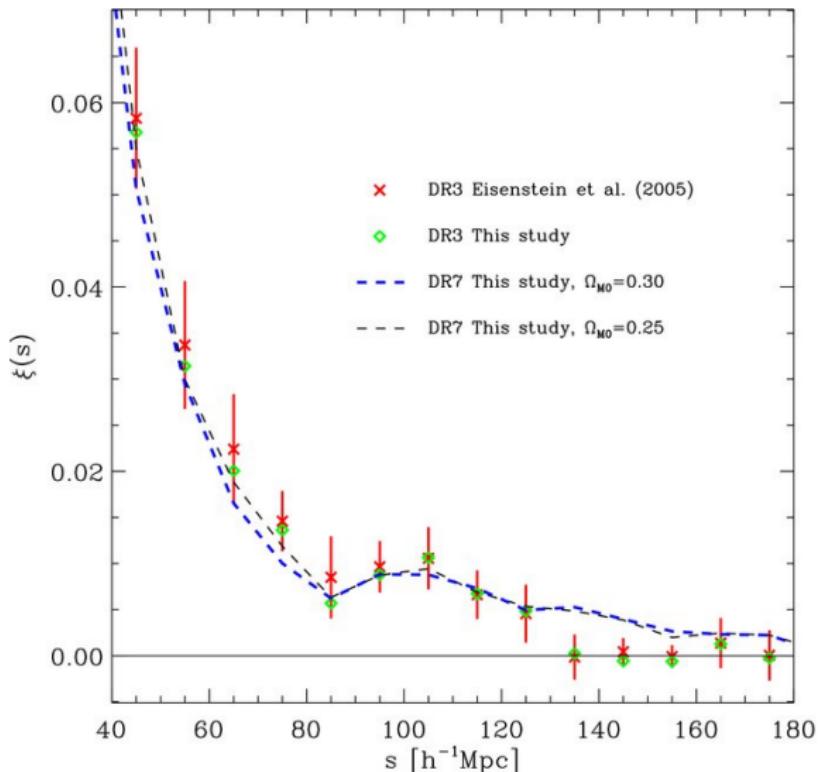
Earlier SDSS: Power Law vs Halo Model



Zehavi, et al. 2004

Some clustering results

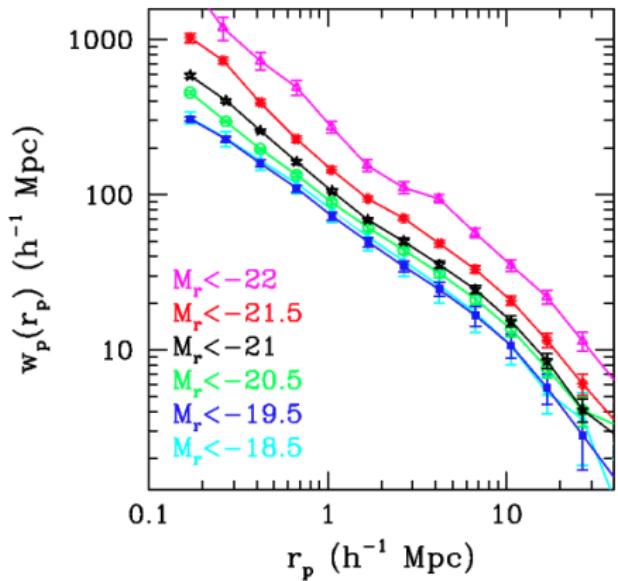
SDSS: BAO Peak



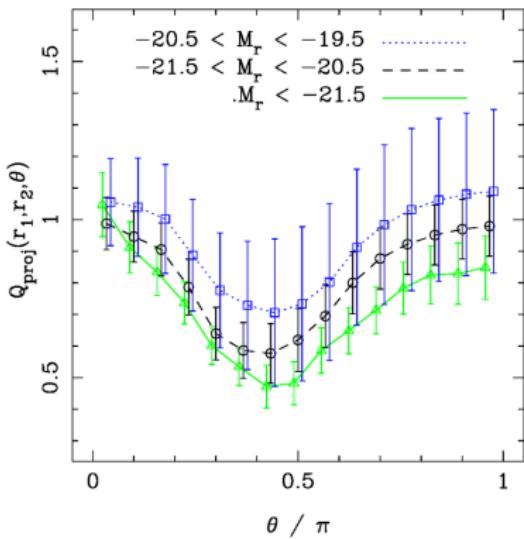
Kazin, et al. 2010

Some clustering results

Luminosity Dependence

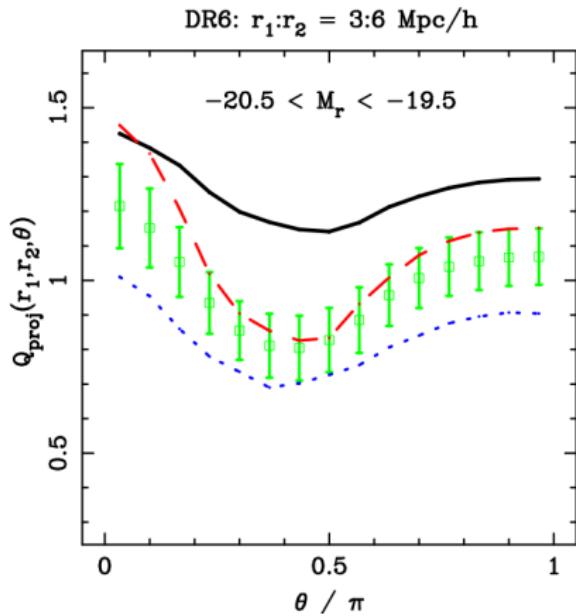
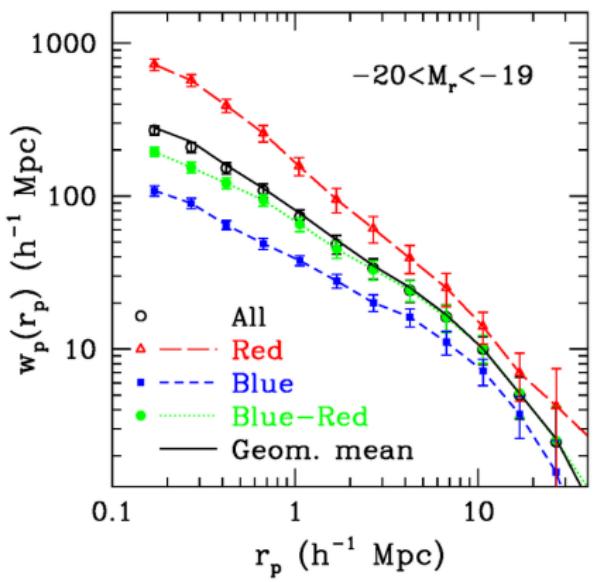


DR6: $r_1:r_2 = 6:12$ Mpc/h



Some clustering results

Color Dependence



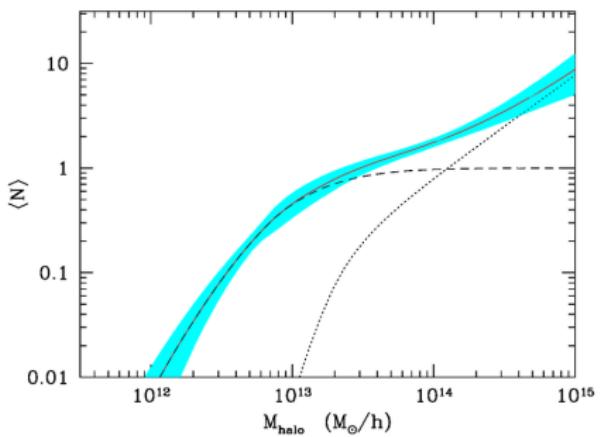
Modeling Galaxy Distribution

- ➊ Our models
 - cosmological parameters / dark energy
 - early conditions (ICs)
 - general relativity
- ➋ Characterize dark matter halos
- ➌ Map Galaxies to Halos
- ➍ Observe galaxy distribution

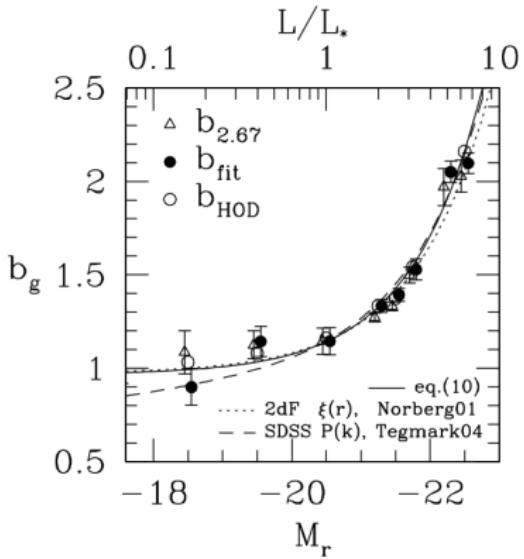
Understanding the difference in clustering:

- galaxies to mass: understand cosmology
- parameterization of bias: constraints on galaxy formation

Modeling: some results

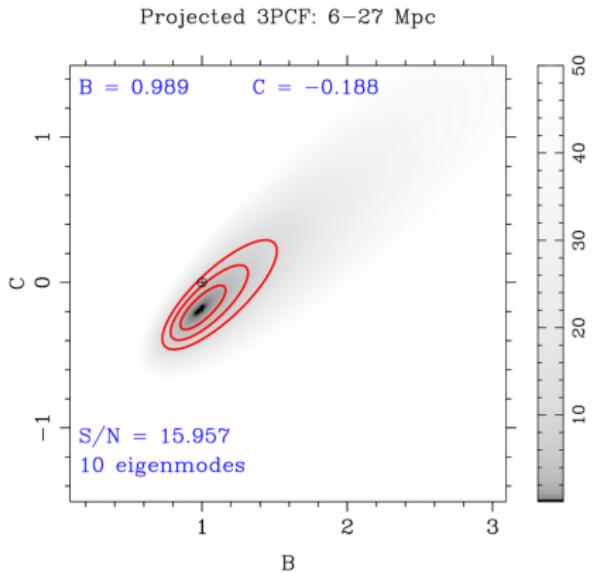


BOSS Galaxies; White, et al.



Zehavi, et al. 2010

Modeling: Galaxy-Mass Bias Constraints



local bias model:

$$\delta_g \approx b_1 \delta_{\text{mass}} + \frac{b_2}{2} \delta_{\text{mass}}^2$$

Bias in Projected 3pt

$$Q_g \approx \frac{1}{B} (Q_{\text{mass}} + C)$$

$$B = b_1 \text{ and } C = \frac{b_1}{b_2}$$

Understanding Errors

To use observations for constraints, we need to understand the properties of our errors

Significant errors in:

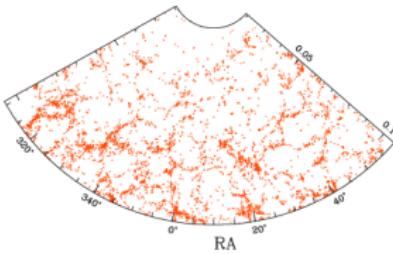
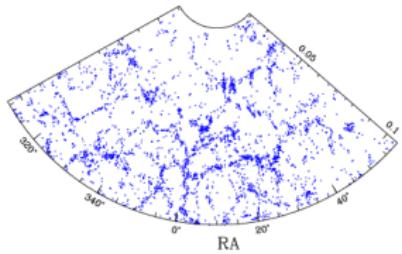
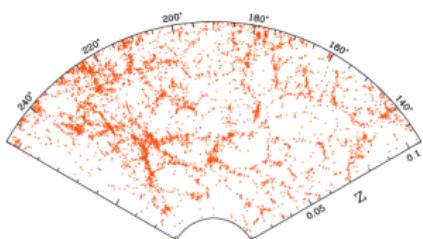
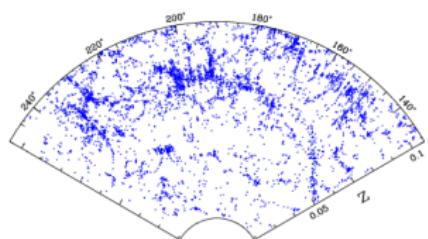
- Methods of analysis
- Observational Systematics
- Statistical

Ways of Estimating Errors:

- ① theory
- ② internal estimates on data (jackknife, bootstrap)
- ③ many realizations with significant assumptions
- ④ numerical modeling, typically **few** realizations (mocks)

Faking it: Mock Galaxy Catalogs

which is real?

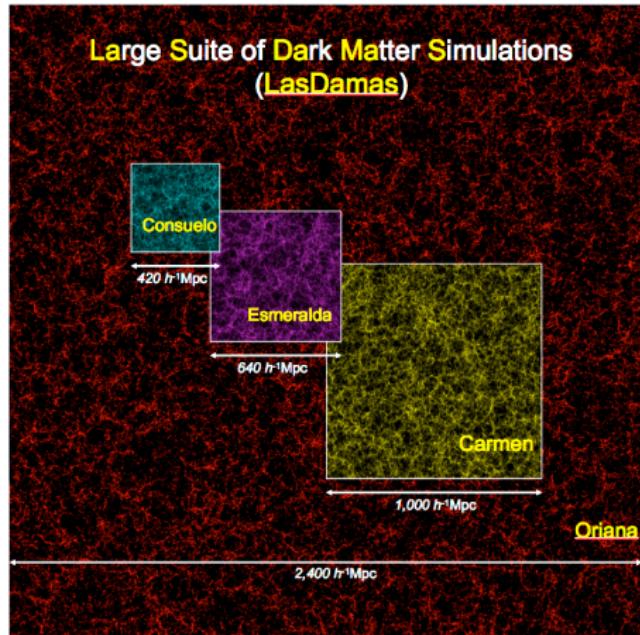


LasDamas

Large Suite of Dark Matter Simulations

Some goals:

- target DR7 galaxy samples
- run **many** realizations
- focus on statistical studies
- **sufficient** resolution
- model observational limitations
- study halo properties
- make galaxy mocks public



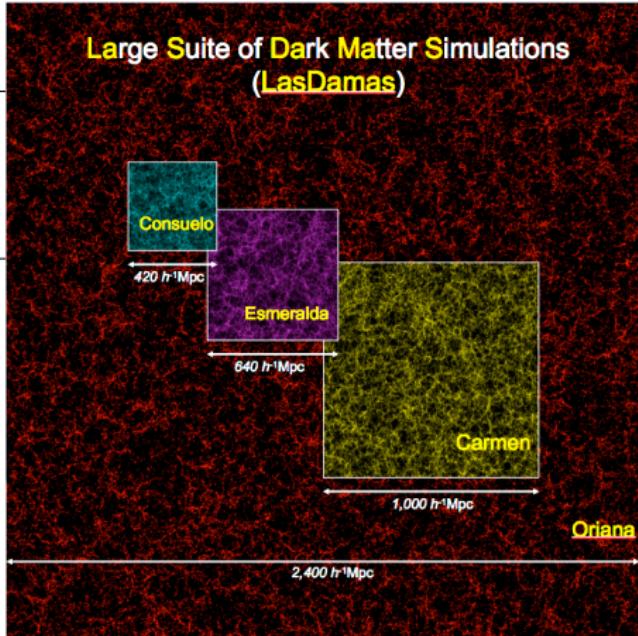
CKM, A. Berlind (Vanderbilt); R. Scoccimarro (NYU); M. Manera (Portsmouth); R. Wechsler (Stanford); M. Busha (Zurich); F. van den Bosch (Yale)

LasDamas

Large Suite of Dark Matter Simulations

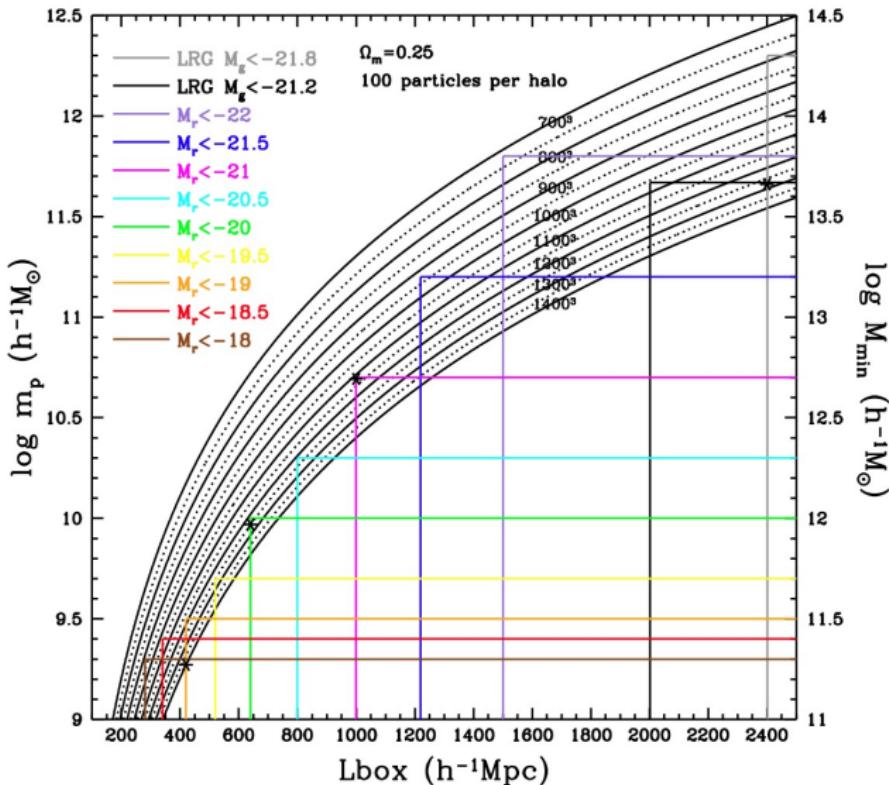
Name	Npart	Lbox(h^{-1} Mpc)
Oriana	1280^3	2400
Carmen	1120^3	1000
Esmeralda	1250^3	640
Consuelo	1400^3	420

- 50 realizations
- 200 simulations
- 10-12 million CPU hours
- 2LPT initial conditions
- over $750 h^{-3} \text{Gpc}^3$



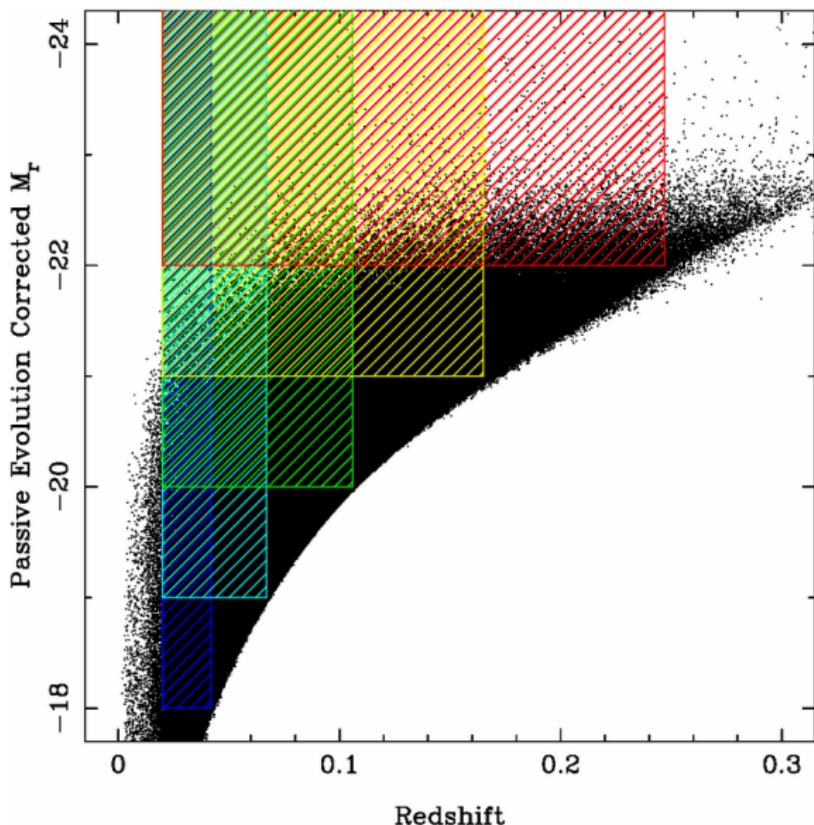
<http://lss.phy.vanderbilt.edu/lasdamas>

Simulations Parameters



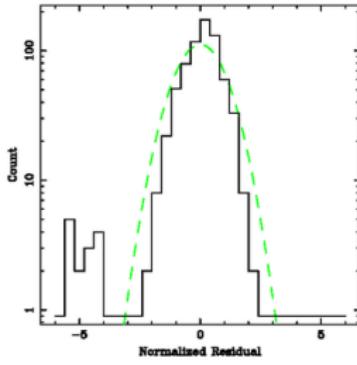
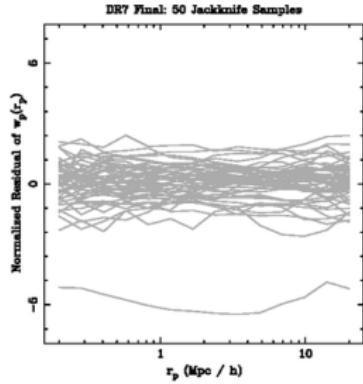
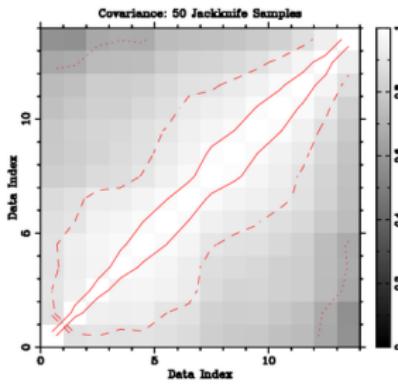
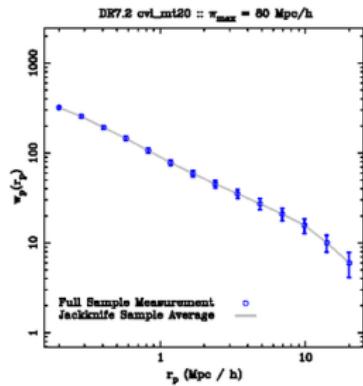
SDSS Galaxy Samples (DR7)

volume-limited selection



SDSS Galaxy Samples (DR7)

measurements



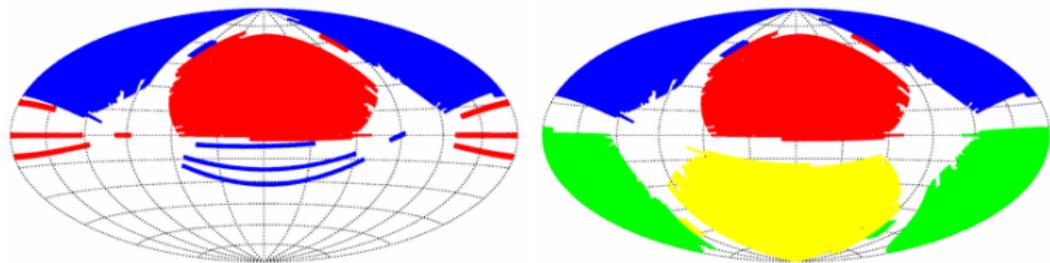
LasDamas Mock Fitting

Idea is to use clustering and galaxy number density as “truth”

- ① identify halos (currently FOF, soon SO)
- ② make galaxy distribution (HOD)
- ③ apply redshift distortions
- ④ measure $w_p(r_p)$, evaluate fit to data
- ⑤ **repeat** (simple steepest descent)
- ⑥ done when “good enough”

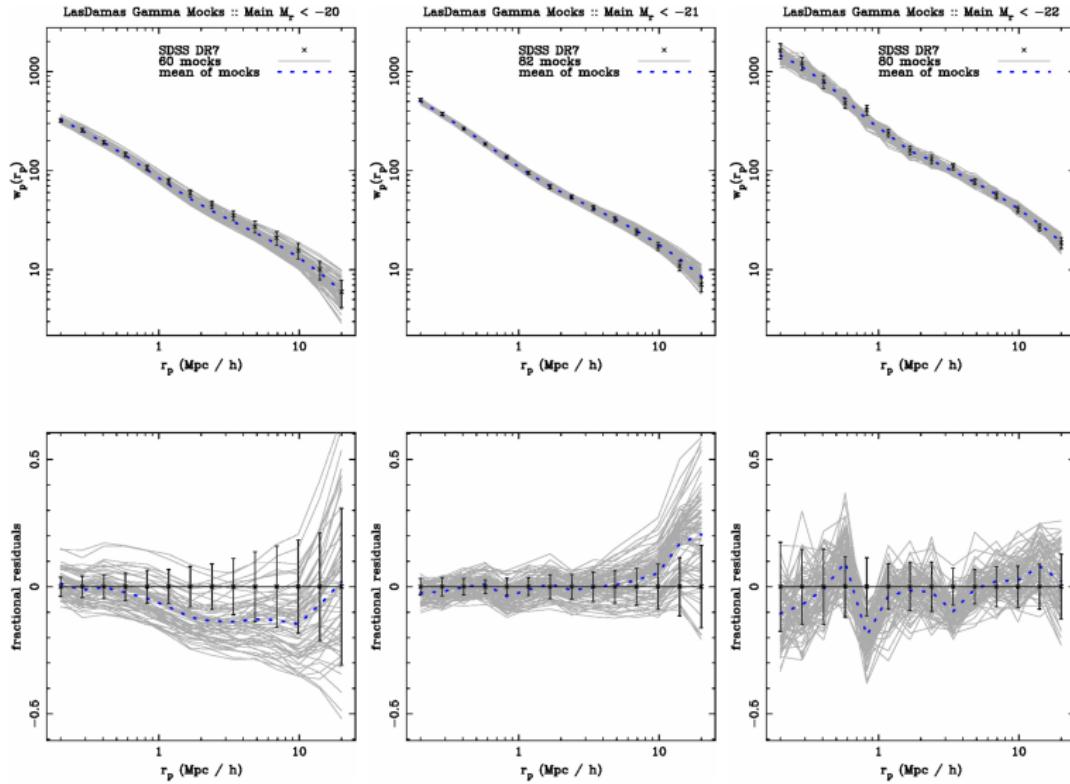
LasDamas: SDSS Mocks

Apply SDSS Geometry



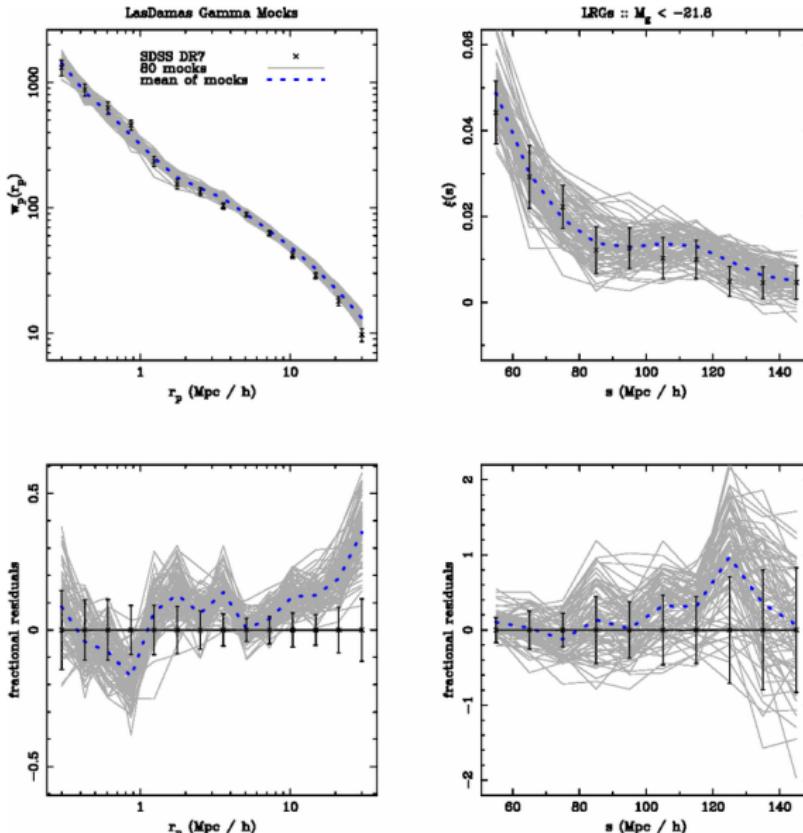
LasDamas: SDSS Mocks

How well do they do?



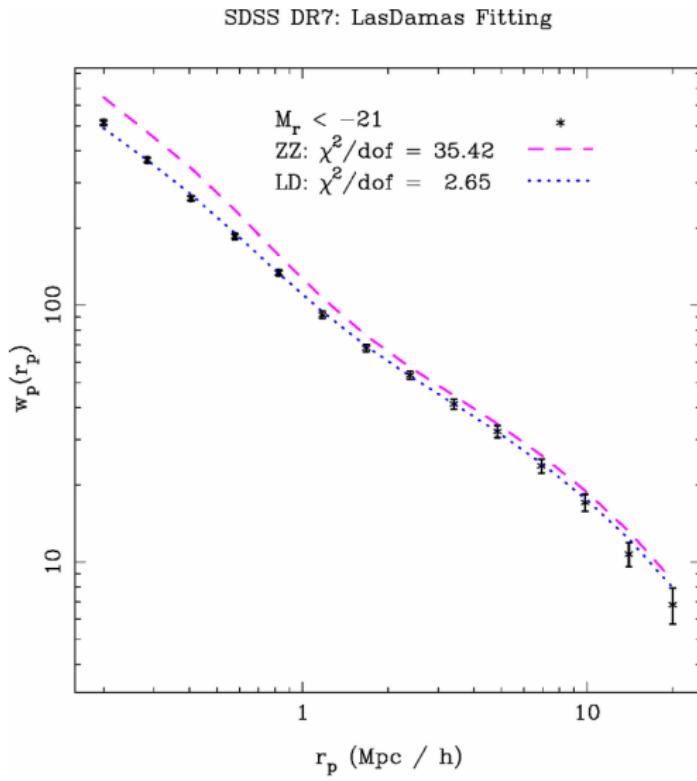
LasDamas: SDSS Mocks

How well do they do?



LasDamas: SDSS Mocks

Why care so much?



LasDamas: SDSS Mocks

What's available?

"gamma" release

- 3 MAIN samples: main20, main21, main22
- 3 LRG samples: lrg21p2, lrg21p8, lrgFull*
- Publicly available in both real and redshift space.

version 1 : coming soon!

- 2 more MAIN samples: main18, main19
- more realizations!
- fiber collisions included
- adding spheres, as well as SDSS footprint

<http://lss.phy.vanderbilt.edu/lasdamas>

Cluster counts used to constrain cosmology (ACT, SPT, Planck)

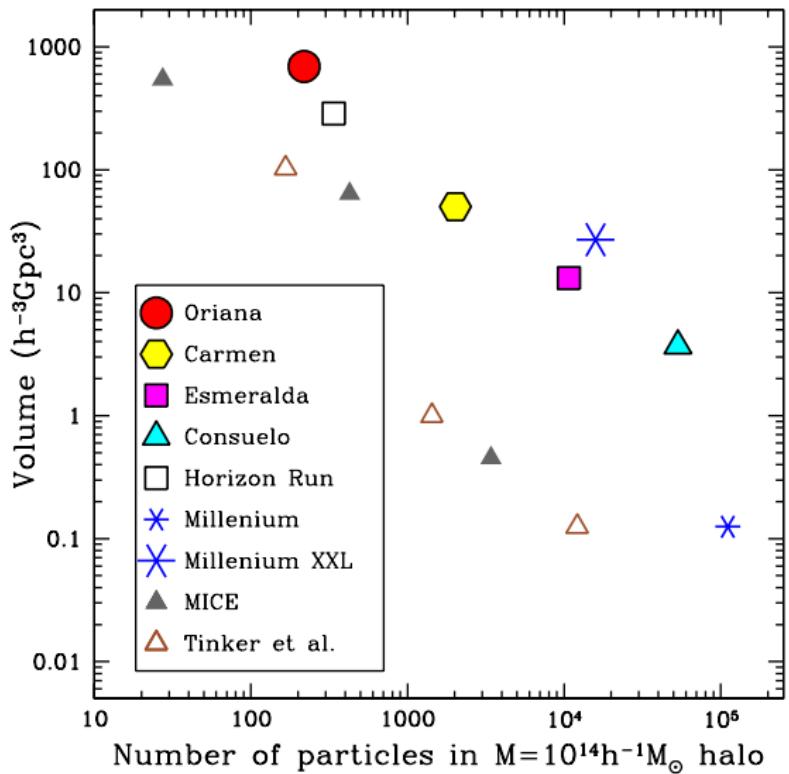
Cluster abundance

$$N(> O_{min}) = VOLUME \times \int P(> O_{min} | M, z) \frac{dn(z)}{dM} dM$$

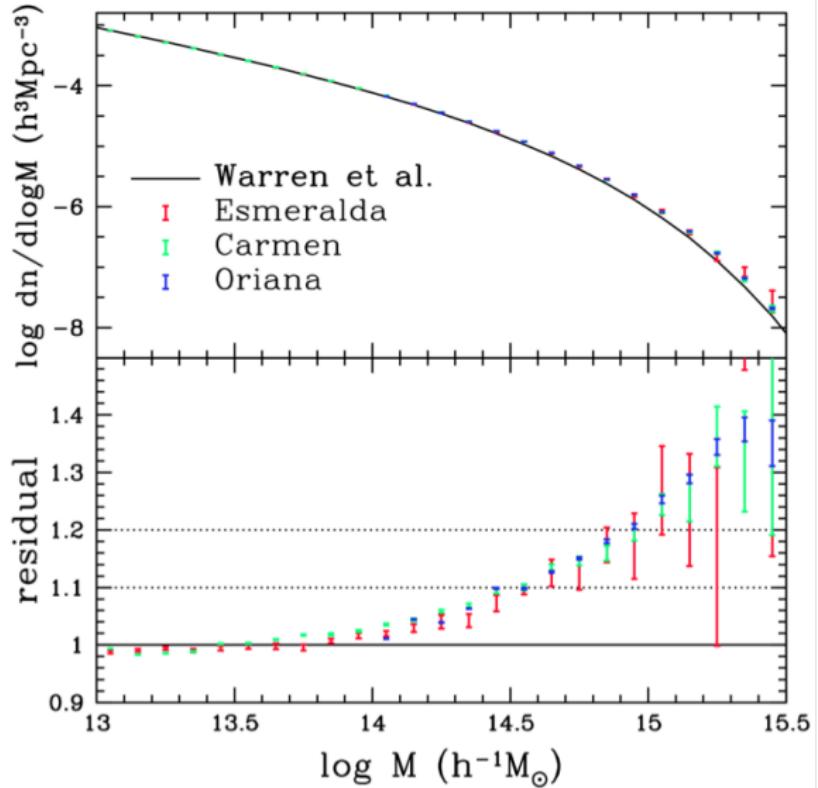
Our era of “precision cosmology” has high demands!

- halo mass function calibrated on simulations
- observable-mass relation hard
- systematic effect on abundance can affect constraints!
- affect of gas physics? (Stanek, et al.)

LasDamas: Volume and Resolution



LasDamas: halo mass function



N-body simulations

ZA vs 2LPT

To run an n -body simulation, need input cosmology and initial conditions at a high redshift: z_{init} .

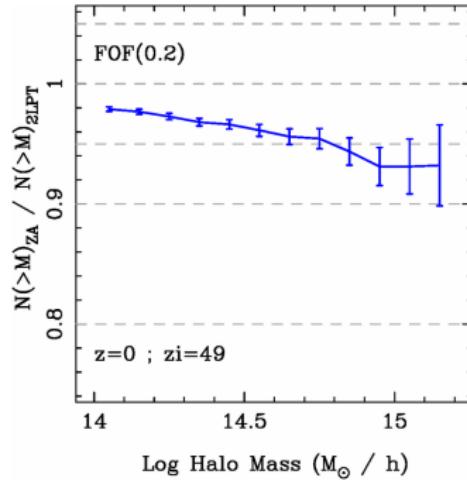
- $z \gg z_{init}$ evolution handled by initial condition generation
- inaccuracies cause **transients** in evolution
- **transients** impede collapse
- ZA does not preserve angular momentum
- 2LPT allows curvature in early trajectories
- differences significant in IC velocities

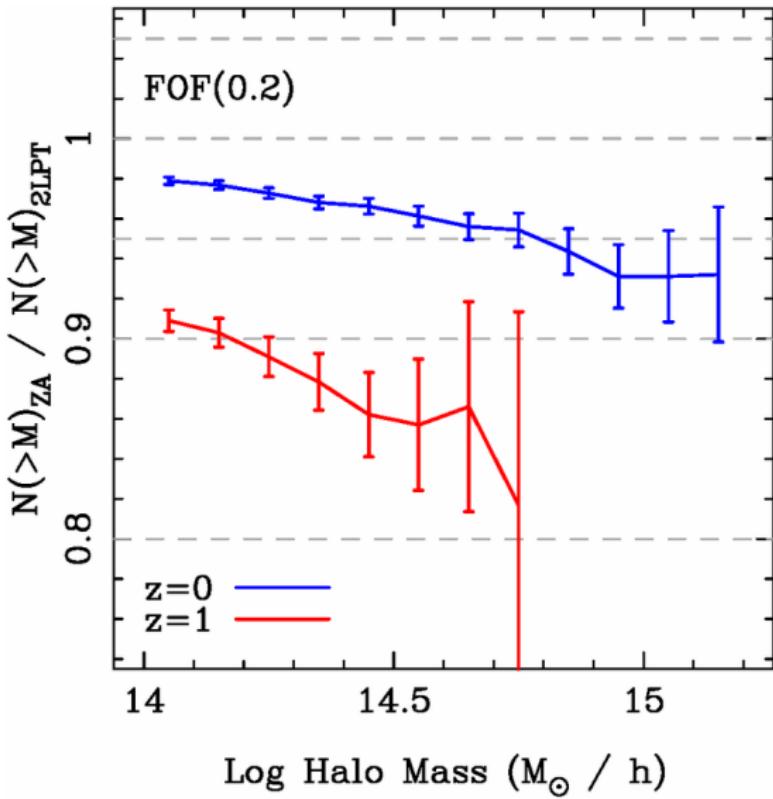
See Scoccimarro 1998, Crocce et al 2006, Crocce et al 2010

Test ICs with LasDamas

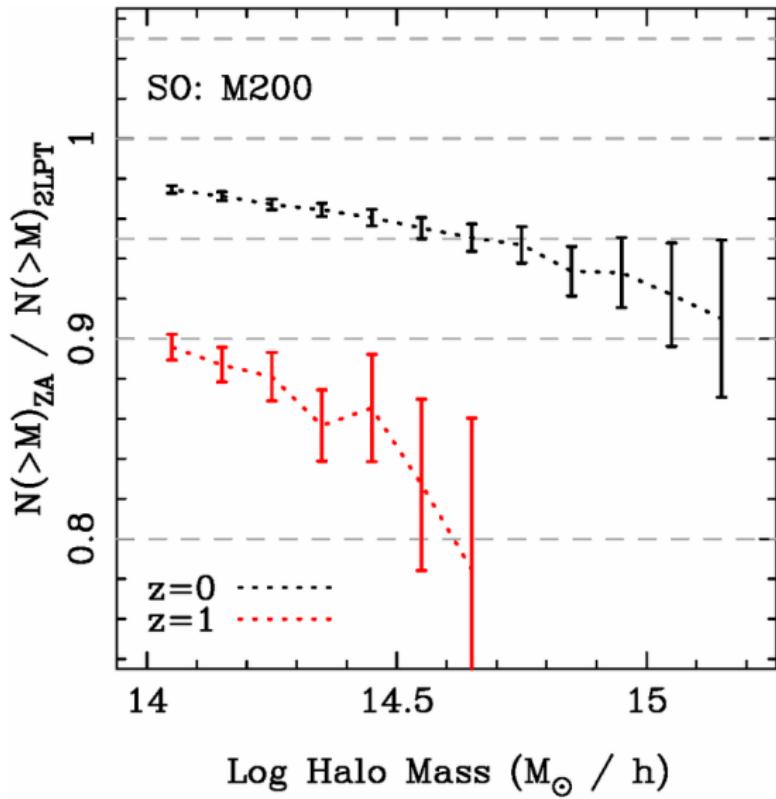
ZA vs 2LPT

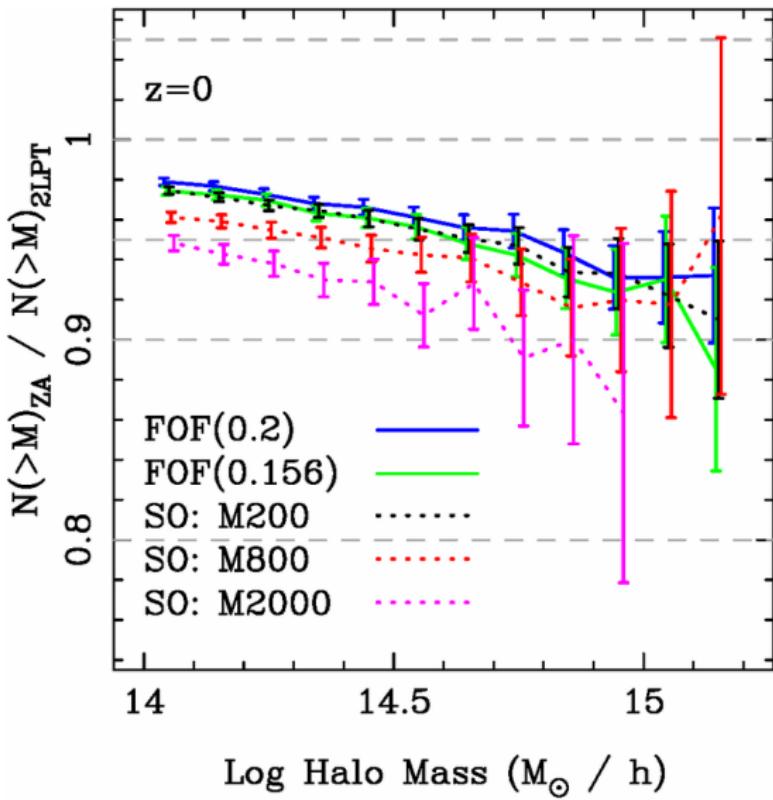
- Use Oriana, seed one with ZA
- **preserve phases**
- compare cumulative counts
- ACT/SPT:
 $4.9 \times 10^{14} h^{-1} M_{\odot}$

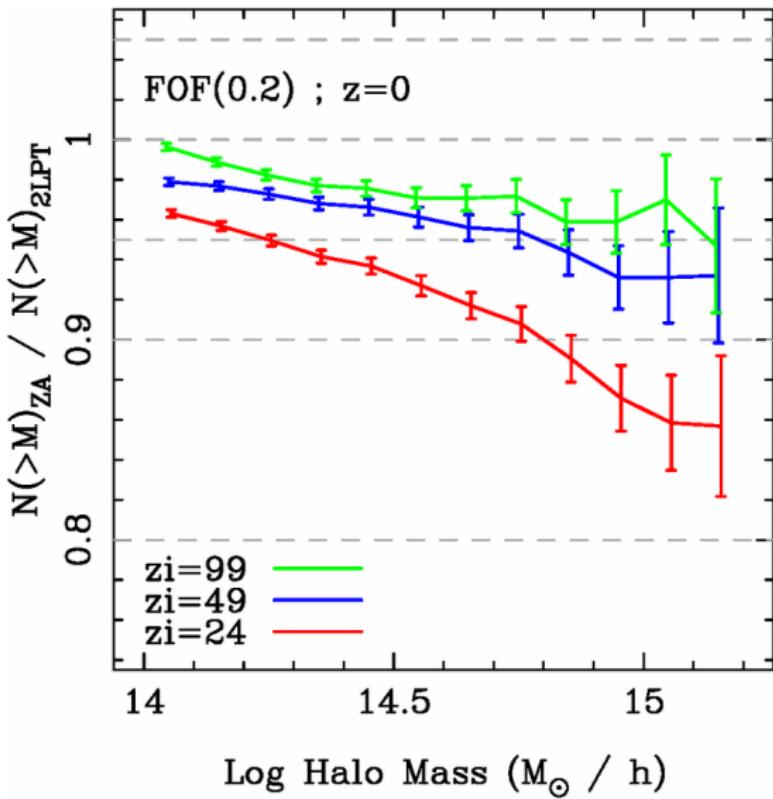




ZA vs 2LPT



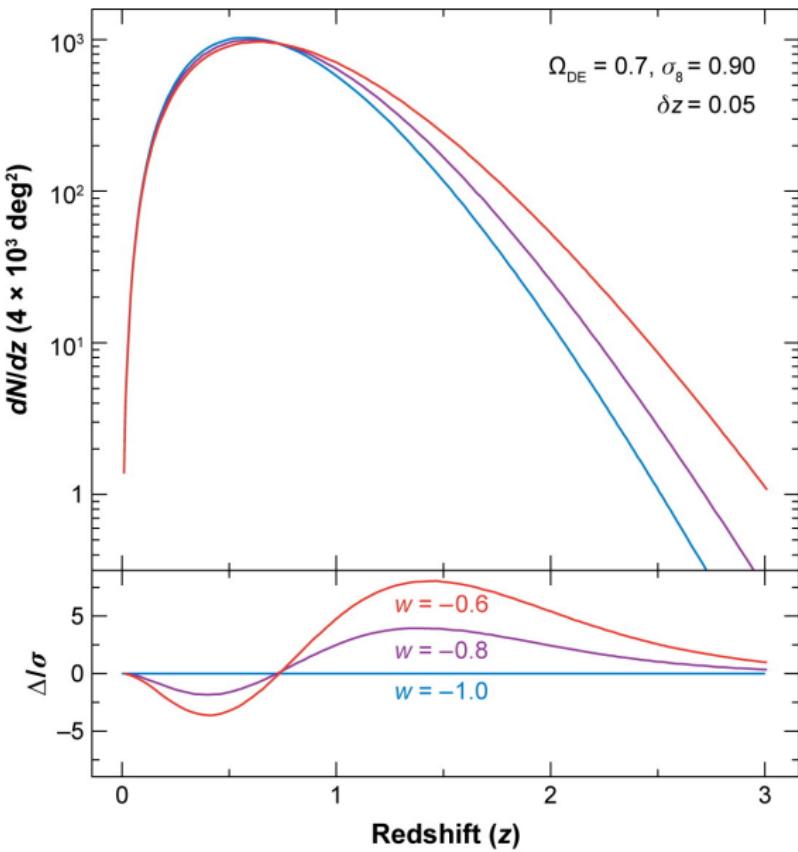




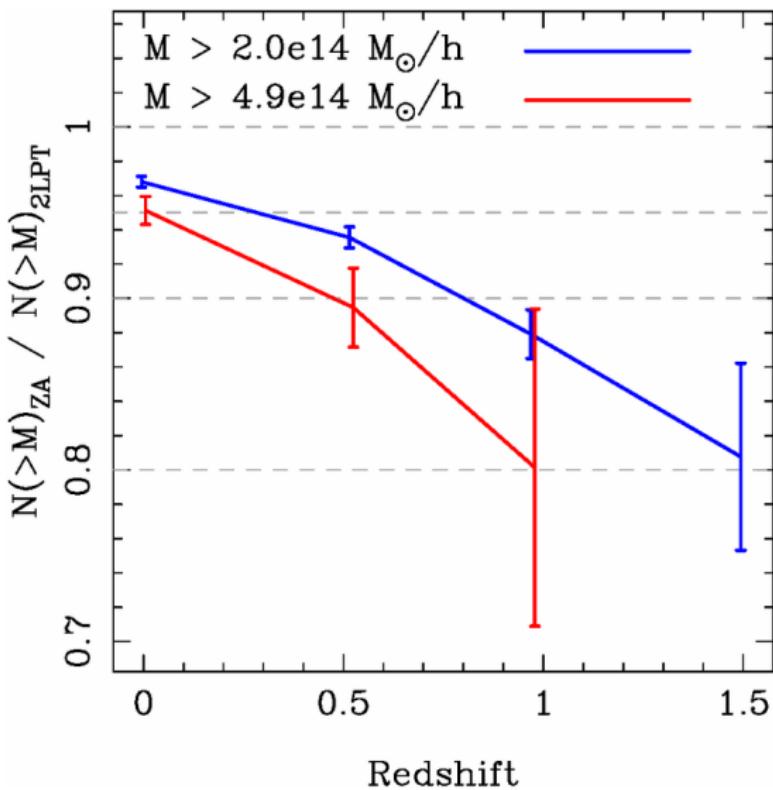
This seems to disprove some “common views”:

- larger boxes can start at smaller z_{init} (Warren, et al)
- Higher z_{init} removes effect
- differences are insignificant, especially for cumulative functions

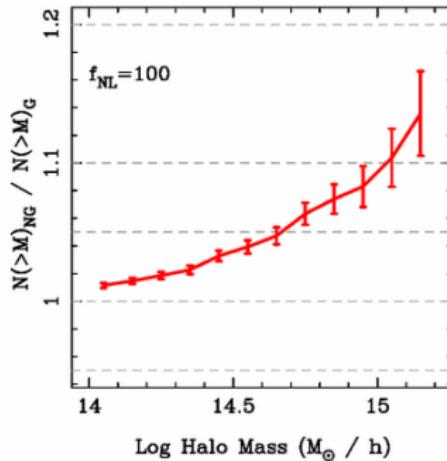
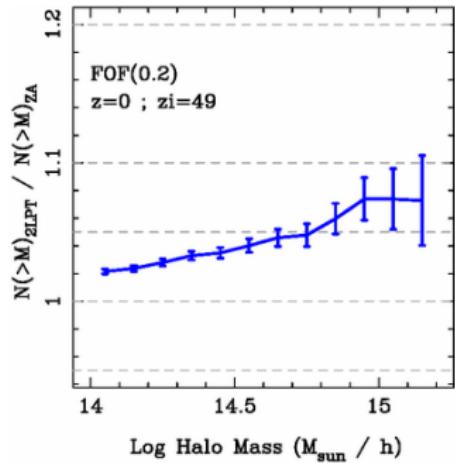
Effect with Redshift



Degenerate with constraints on w



Can mimic primordial non-Gaussianity

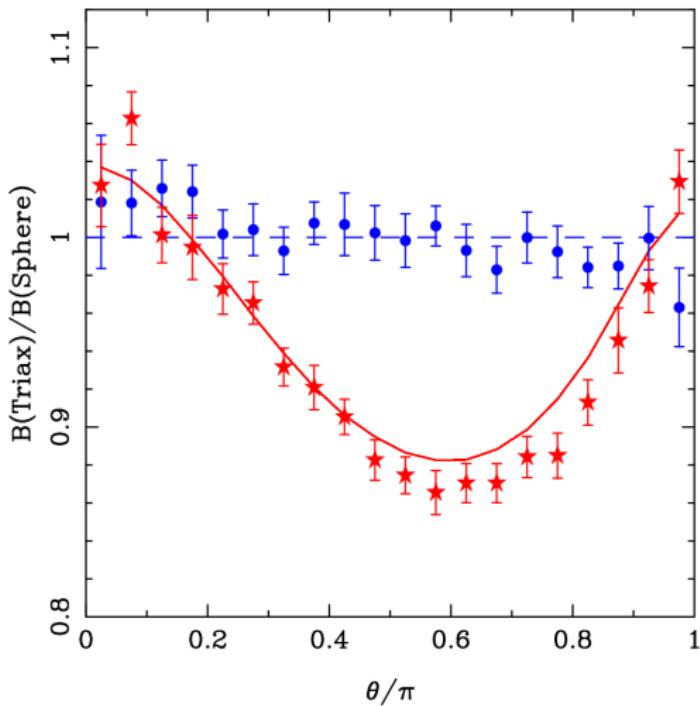


LasDamas: in use!

- ① Constraining Halo Shape (McBride)
- ② Joint Fitting: 2PCF, 3PCF, multiplicity (McBride)
- ③ primordial non-Gaussianity (Scoccimarro, Manera; Mao)
- ④ cosmology from redshift distortions (Kazin)
- ⑤ halo profiles: checking C(M) relation (Musher, [AAS poster](#))
- ⑥ halo merger trees (Behroozi)
- ⑦ small scale galaxy clustering (Watson, Piscionere)
- ⑧ galaxy groups (Jackson)
- ⑨ ongoing BOSS analyses (Sanchez ; Tojeiro)

Project: Halo Shape

Small scales, strongly non-linear regime

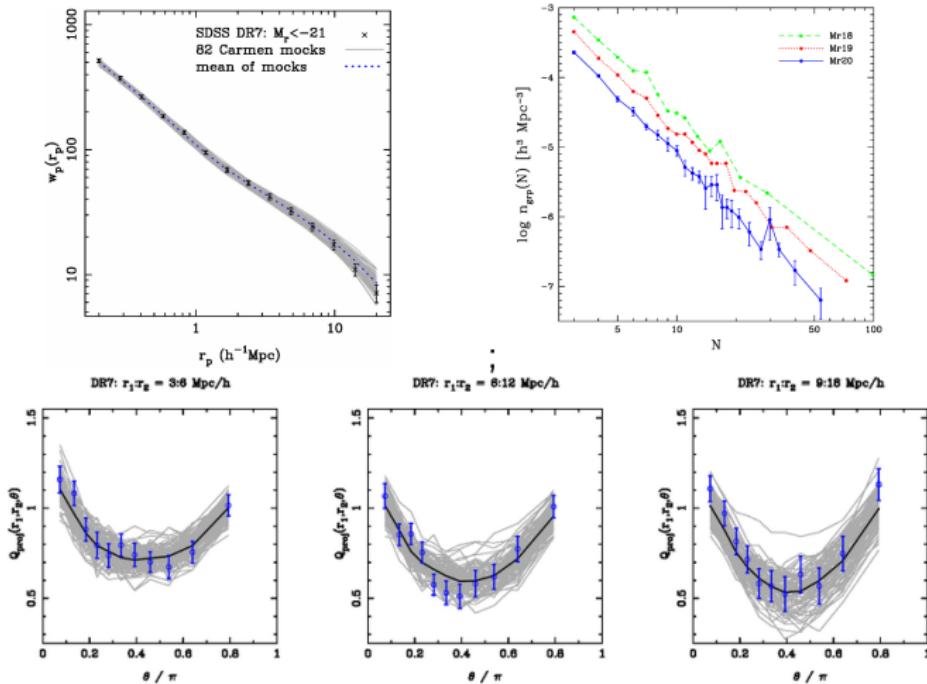


Smith, Watts & Sheth 2006

B bispectrum: Fourier transform of the 3PCF

Project: Joint Fitting

self consistent fit over several statistics



THANKS!